

ExcelSim 2003 Documentation

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Any questions and/or bug reports may be directed to:

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Purpose of the add-in

ExcelSim 2003 is an add-in to Microsoft Excel 2002 (it also works in Excel 97 2000). It adds the ability to perform Monte Carlo simulations on spreadsheet models. ExcelSim has the ability to generate random numbers from any of 21 probability distributions. Most likely, you will want to use the uniform, normal, lognormal, triangular, or binomial distributions. Others available are: Cauchy, Poisson, logistic, Bernoulli, geometric, Pascal, negative binomial, gamma, Erlang, chi square, Weibull, exponential, beta, pareto, F, and t. ExcelSim assumes that all of the generated random variables are independently distributed (i.e., it does not allow you to specify correlations or a variance/covariance matrix). I assume that you understand the probability distributions that you choose to use, and this documentation does not discuss them. See the references on the About dialog box for more information.

Installing ExcelSim

To install ExcelSim.xla, copy it to a convenient directory and then open Excel. Go to Tools Add-Ins and click on the Browse button. Navigate to wherever you saved ExcelSim.xla, select it from the file list and then click OK. Make sure that there is a check mark next to ExcelSim in the add-ins list and the click OK. You should now have a new menu item named ExcelSim, and you are ready to do Monte Carlo simulations. To keep ExcelSim from being opened every time you open Excel, when you are done using it go to Tools Add-Ins and uncheck the ExcelSim box. To turn it back on, just re-check the box.

Using ExcelSim 2003

ExcelSim 2003 was designed to be easy to use. However, the spreadsheet models that you build for the simulation may be as complex as you wish. Here are the steps to using ExcelSim 2003:

1. Create your spreadsheet model.
2. Determine which cells contain the uncertain variables.
3. Run ExcelSim and define the changing cells, watch cells, watch cell names, and the number of trials (iterations).
4. Inform ExcelSim of the assumed probability distributions for the changing cells.

In the next few sections, I will take you through a few examples. For now, let me define a few terms that you will encounter on the ExcelSim dialog boxes:

- **Changing Cells** – These are the cells that contain your uncertain variables. Note that ExcelSim will save any numbers or formulas in these cells and restore them after the simulation is completed. In a retirement planning model they may be the annual rate of return and your life

expectancy. In a capital budgeting model they may be the tax rate, cost of capital, salvage value, etc. You may have as many changing cells as you wish. It is very helpful to define names (Insert Name Define) for your changing cells before running ExcelSim. If you use defined names, the dialog box that prompts you for distributions will use those names in its title bar.

- **Watch Cells** – These are the cells that contain the relevant outputs of your spreadsheet model. In a retirement planning model this may be the amount that needs to be saved annually to fund your retirement. In a capital budgeting model this may be the NPV, IRR, MIRR, etc. You may have as many Watch Cells as you wish.
- **Watch Cell Names** – These are the cells that contain the names of your watch cell variables. These names are optional, but you'll normally place labels in your spreadsheet anyway so you might as well supply them.
- **Iterations** – This is the number of trials that you want ExcelSim to generate in your simulation. On each trial, ExcelSim generates random numbers from the appropriate probability distributions for your changing cells. These numbers are plugged into the changing cells and the model is recalculated. Finally, ExcelSim grabs the values in the watch cells and saves them before doing the next trial.
- **Distribution** – This is the probability distribution. You will be prompted to identify the appropriate probability distribution for each of your changing cells. Not only will you have to identify the distribution, but you will have to supply the parameters of the distribution. For example, if your changing cell is normally distributed, you will be asked for the mean and standard deviation of the distribution. If it follows a triangular distribution, you will be asked for the minimum (left), middle (mode), and maximum (right) values.

Some Examples

The easiest way to learn to use ExcelSim is by following a few simple examples. Here I will present three:

1. Generating a series of random normally distributed numbers (stock returns).
2. An example of using Monte-Carlo simulation to value a European call option.
3. An example of a capital budgeting problem.

All of these examples are simple ones so as to focus on the use of ExcelSim and to give you ideas of where to use Monte-Carlo simulation. Each example and the associated output are contained in the ExcelSim2003_Examples.xls file.

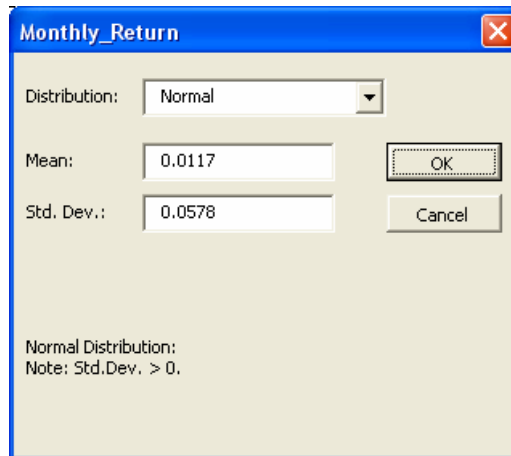
Example 1: Generating Stock Returns

Suppose that we wish to generate a series of randomly generated stock returns so as to prove that stock price changes resemble (at the least) a random data series. To do this we can generate a series of normally distributed returns and then use these returns to generate a series of stock prices. We can then create a chart of the stock prices and note how we see all of the features normally found in stock price charts even though these “prices” are definitely random. Open the “Stock Returns and Prices” tab in the example file and then click ExcelSim Simulate. You will see the main dialog box on screen which should look like the one below.



As noted previously, the changing cells are the uncertain cells. In this case, we only care about one cell, B19. Make sure the cursor is in the Changing Cells edit box and then click on B19. In this very simple example, we want to collect the random numbers without any further processing, so for the Watch Cells click on B19. The Watch Names are the names of the output cells which in this case is in A19. Enter 60 in the Iterations box, and choose a name for the new output worksheet in Sheet Name. (You'll need to enter a different name than shown.) Finally, note that you have the option of turning screen updating off. In most cases you want it off to dramatically speed up the output. On the other hand, if you wish to actually watch the cells change, uncheck the box.

Now click the OK button and you will be asked for the distributions for the changing cells as shown below.



Note that the title bar of the dialog box shows the name (or cell address if you haven't define a name for the cell) of the current changing cell. Drop down the Distribution list and select Normal from the list. You will now see the Mean and Std. Dev. edit boxes appear. Fill them in as shown and then click the OK button. If there had been other changing cells, you would have been presented with additional distribution dialog boxes.

At this point ExcelSim will start running. Watch the status bar (bottom left of the Excel screen) and you'll see notifications of the status of the program. Unless you have a very slow computer it will probably be too quick for you to see in this case. When it is done you will see the output. In cells B4:B63 are the returns that were generated. In B64:B73 you will see various summary statistics of the returns that were generated. In the example output you'll see that the mean of the generated returns was 2.56% and the standard deviation was 5.766%. Your results will, of course, vary from these. Note that these parameters may be considerably different from those you entered on the distribution dialog box because we only generated 60 observations. If you were to generate, say, 1000 observations your results would probably be much closer to your inputs.

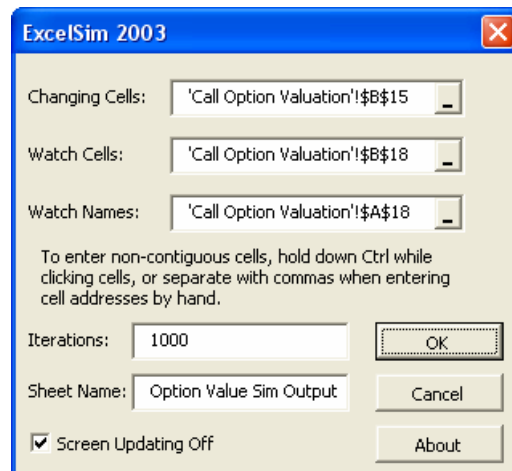
You can now follow the rest of the instructions on the sample output page to create your stock prices series and chart.

Example 2: Call Option Valuation

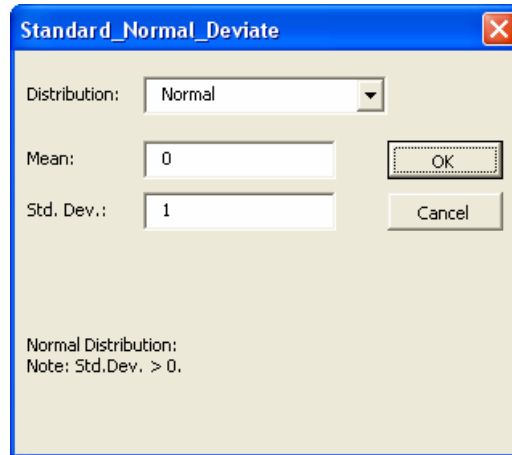
The value of a call option is simply the present value of the value of the call at expiration. Of course, we don't know what the stock price will be at expiration so we can't determine the value of the option at that time. So, we need to simulate the stock price at expiration and then figure the resulting option value at that time with the equation $\text{Max}(0, S - X)$. Calculate the present values of all of these potential terminal values of the option, then average them together, and you have the current value of the option. Fortunately in this case, we have the Black-Scholes option pricing model to provide a solution (exact only under the assumptions of the model). In this case we need to generate a standard normal deviate (distributed $N(0,1)$) and use that to generate the future stock prices.

Change to the "Call Option Valuation" tab in the ExcelSim2003_Examples.xls file. You will see instructions and the model set up. In this case, we have the inputs (stock price is \$100, strike price is also \$100, etc). You may change these to any appropriate values. In cell B15 we have the normal deviate. This is the changing cell in this example. In B16 we calculate the ending stock price using the value in B15, and then in B17 and B18 we calculate the option value at expiration and the present value of that option value. The present values are the watch cells that we wish to collect and average together.

Click ExcelSim Simulate to start the process. When filled in, the main dialog box should look like the one below: (Note that if you are running this example right after the previous one, you will still see the inputs from the previous example. Most of the time this is helpful so that you can re-run a simulation. In this case, it's a pain. Replace the contents of the edit boxes as shown.)



After entering the correct data in the main dialog box, click the OK button. Fill in the distribution dialog box as shown below:



In this case we are running 1,000 trials so it will take some time. Watch the status bar to see the progress. There will be a short delay as the report is being built. Please don't get impatient. If you change to the "Option Value Sim Output" sheet, you will see the output that I generated for this example. Since there are 1,000 present values in this output, I've hidden the results of most of the trials. You can see that the average of the present values of the payoffs is about \$8.31. This differs a bit from the Black-Scholes solution of \$8.09 (see cell B20 on the original worksheet). Again, every time you run the simulation you will get slightly different results.

Example 3: Capital Budgeting

For this example, I'm using the Chapter 7 Mini Case from [Intermediate Financial Management](#) by Brigham, Gapenski, and Daves. If you have access to this text you may wish to read the Mini Case in chapter 7 before continuing. Otherwise, here is a summary. This model is set up in the "Capital Budgeting" worksheet in ExcelSim2003_Examples.xls.

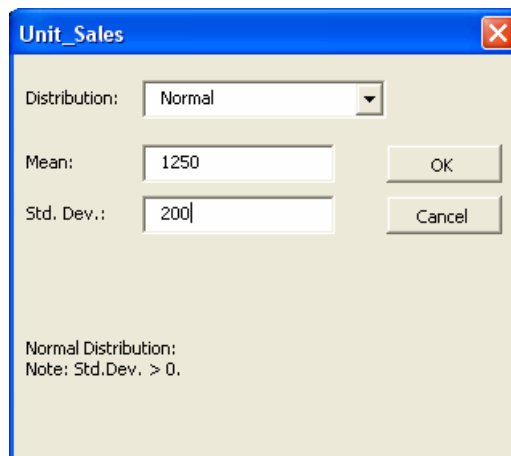
Briefly, we have set up an incremental operating cash flow statement for a potential investment. The initial outlay is \$260,000. The unit sales are uncertain, but are expected to be 1,250 units. The sales price is fixed at \$200 per unit. Operating costs are also uncertain, but expected to be 50% of gross revenue (price times quantity). Depreciation is MACRS, 3-year class. The marginal tax rate is 40%. We expect to be able to sell the equipment for \$25,000 at the end of year 4, but this value is uncertain. The cost of capital is 10%.

We will simulate this model as follows: Unit sales (C24) are normally distributed with mean of 1,250 and standard deviation of 200 units. Operating costs as a percentage of revenue (I20) is normally distributed with mean 50% and standard deviation of 2%. Salvage value (F35) has a triangular distribution. Experts tell us the minimum should be \$0, the mode \$25, and the maximum \$75.

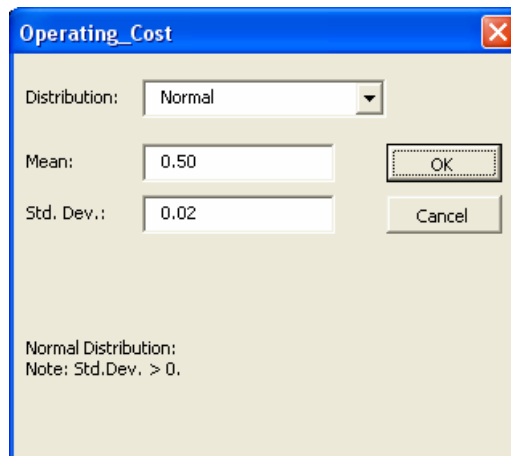
The watch cells are the NPV, IRR, and MIRR (B43:B45), the watch cell names are in A43:A45. Run 1,000 iterations. Here is the main dialog box. Note that the picture doesn't quite show all of the inputs because we have multiple changing cells, watch cells, and watch names. To enter multiple discontinuous cells, click on the first one and then Ctrl click the others:



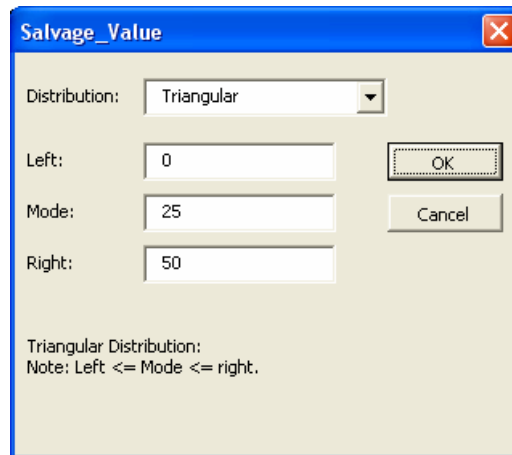
This is the distribution dialog box for the unit sales in C24. Note that we are only changing C24 because the Mini Case assumes that sales in each year will be the same. Sales in years 2 through 4 are linked by formula to C24. If the unit sales had been different for each year, you would include each of them in your changing cells and you would get 4 distribution dialog boxes (one for each year). Unit sales are normally distributed with a mean of 1,250 and standard deviation of 200.



This is the distribution dialog box for operating costs as a percentages of sales. This variable is normally distributed with a mean of 50% (enter it as 0.50) and a standard deviation of 2% (enter it as 0.02).



This is the distribution dialog box for the salvage value in year 4. Since we have no idea what the correct probability distribution is, but experts can guesstimate the minimum, maximum, and most likely values, we have chosen a triangular distribution. This is a very common assumption in cases like this. In this case the minimum is \$0, the most likely is \$25, and the maximum is \$50.



Salvage_Value

Distribution: Triangular

Left: 0

Mode: 25

Right: 50

Triangular Distribution:
Note: Left <= Mode <= right.

When you click the OK button the simulation will start. The example output is in the “Capital Budgeting Sim Output” worksheet. Note that the expected NPV is \$85.55 with a standard deviation of \$39.92. The distribution is slightly skewed to the right (skewness = 0.0435) and slightly flatter than a normal distribution (it is mesokurtic, kurtosis = -0.0467). I have also used Excel’s Histogram tool from the Analysis ToolPak (Tools Data Analysis) to create a histogram of the NPV distribution. Below the chart (N23), I have also added the “95% Confidence Limit” for NPV. This is similar to a Value at Risk (Var) calculation. This tells us that we are 95% certain the actual NPV will be at least \$19.69. Note that there is still a 5% chance that the NPV will be less than this amount. I have also calculated the probability of the NPV being less than \$0 at 0.90%. This is simply the number of negative NPV’s generated (9) divided by the total number of NPV’s generated (1,000). This looks like a very good project.